



**PUNE VIDYARTHI GRIHA'S**  
**COLLEGE OF SCIENCE AND TECHNOLOGY**

**Affiliated to University of Mumbai**

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## Question Bank

**Class: S.Y.B. Sc.CS**

**Semester: IV**

**Subject: Linear Algebra using Python**

### UNIT 1

1. The absolute value of  $3+4i$  is \_\_\_\_
  - A. 4
  - B. 5
  - C. 6
  - D. 0
2. In  $GF(2)$ ,  $1+1$  is equal to \_\_\_\_
  - A. 1
  - B. 0
  - C. 1 and 0
  - D. 2
3.  $i=$ \_\_\_\_
  - A. 1
  - B. -1
  - C. square root of -1
  - D. 0
4. Galois field contain \_\_\_\_ elements
  - A. 0
  - B. 1
  - C. 2
  - D. 3
5. The \_\_\_\_ form of complex number is  $z=x+iy$ 
  - A. polar
  - B. exponential
  - C. cartesian
  - D. complex
6. If  $z=2+3i$  the  $|z|$ = \_\_\_\_
  - A. 13
  - B. square root of 13
  - C. square root of 12
  - D. 12
7. \_\_\_\_ form of complex number is  $z=r(\cos \theta + i \sin \theta)$

- A. polar
  - B. exponential
  - C. cartesian
  - D. complex
8.  $\theta$  is called the \_\_\_\_\_ of  $z$
- A. amplitude
  - B. argument
  - C. both amplitude and argument
  - D. modulus
9.  $x$  is called the \_\_\_\_\_ part in  $z=x+iy$
- A. real
  - B. imaginary
  - C. partial
  - D. complex
10.  $y$  is called the \_\_\_\_\_ part in  $z=x+iy$
- A. real
  - B. imaginary
  - C. partial
  - D. complex
11.  $(2+3i)+(4+7i)=$ \_\_\_\_\_
- A.  $5i+11$
  - B.  $5+11i$
  - C.  $6+10i$
  - D.  $6i+10$
12. \_\_\_\_\_ is a set  $V$  over the field  $F$  with binary operation  $+$  and  $\cdot$ .
- A. vector space
  - B. span
  - C. subspace
  - D. field
13. \_\_\_\_\_ is a subspace of  $V$  which is called as trivial subspace
- A.  $0$
  - B.  $1$
  - C. both  $0$  and  $1$
  - D.  $2$
14. The square root of  $8-6i$  is \_\_\_\_\_
- A.  $3+i$  and  $3-i$
  - B.  $3-i$  and  $-3+i$
  - C.  $-3+i$  and  $-3-i$
  - D.  $3+i$  and  $-3-i$
15.  $(\mathbb{R},+,.)$  is \_\_\_\_\_
- A. field
  - B. vector space
  - C. subspace
  - D. linear span
16. If for  $x, y$  belongs to  $V$  and  $+$  is commutative in  $V$  then  $x+y=$ \_\_\_\_\_
- A.  $x+y$
  - B.  $y+x$

- C.  $y-x$
  - D.  $x-y$
17. Let  $V$  be a Vector Space and  $W$  be a non empty subset of  $V$ . Then  $W$  is \_\_\_\_\_ of  $V$  iff  $a.x+b.y$  belongs to  $W$  where  $x,y$  belongs to  $W$  and  $a,b$  are real numbers
- A. field
  - B. vector space
  - C. subspace
  - D. linear span
18. If  $z=7+i$  then conjugate of  $z$  is \_\_\_\_\_
- A.  $-7-i$
  - B.  $7-i$
  - C.  $-7+i$
  - D.  $7+i$
19. If  $z_1=2+i$  and  $z_2=2-i$  then  $z_1.z_2=$ \_\_\_\_\_
- A. 4
  - B. 5
  - C. 6
  - D. 8
20. Conjugate of  $z=2+3i$  is \_\_\_\_\_
- A.  $2-3i$
  - B.  $-2-3i$
  - C.  $-2+3i$
  - D.  $2+3i$
21. There are \_\_\_\_\_ forms of complex number  $z$
- A. 1
  - B. 2
  - C. 3
  - D. 4
22. The absolute value of the number  $z = 1-i$  is:
- A. 2
  - B. 0
  - C.  $\sqrt{2}$
  - D. 4
23. A non empty subset  $W$  of a vector space  $V$  over field  $F$  is called a \_\_\_\_\_ of  $V$
- A. Linear combination
  - B. Basis
  - C. Span
  - D. Subspace
24. The \_\_\_\_\_ of two subspace is a subspace of  $V$
- A. Union
  - B. Intersection
  - C. Linear combination
  - D. Span
25. The dot product of vectors  $u=(1,-1,2)$  and  $v=(2,-3,4)$  is \_\_\_\_\_
- A. 11
  - B. 12
  - C. 13

- D. 18
26. If  $u=(1,2,3)$  and  $v=(2,7,-5)$  then  $\|u\|=\underline{\hspace{2cm}}$
- A. 14  
B.  $\sqrt{14}$   
C. 6  
D. 36
27. If  $u=(1,2,3)$  and  $v=(2,7,-5)$  then  $\|v\|=\underline{\hspace{2cm}}$
- A. 78  
B.  $\sqrt{78}$   
C. 14  
D. 4
28. The set of all linear combination of finite elements of  $S$  is called as  $\underline{\hspace{2cm}}$  of  $S$
- A. Linear span  
B. Basis  
C. Subspace  
D. Vector space
29. What is a complex number?
- A. A very small number that can't be expressed as a point on a two-dimensional plane.  
B. A number of the form  $a + bi$ , where  $a$  and  $b$  are real numbers, and  $i = \sqrt{-1}$ .  
C. A number that involves real numbers  $a$  and  $b$ , where  $a/b$  is always an irrational number.  
D. A number of the form  $ai + b$ , where the difference between  $ai$  and  $b = \sqrt{-1}$
30. How do we find the complex conjugate of a complex number  $a + bi$ ?
- A. We change the sign of  $bi$ .  
B. We change the sign of  $a$ .  
C. We don't do anything.  
D. We change the sign of both  $a$  and  $bi$ .
31. In  $GF(2)$ ,  $1+1+1+1$  is equal to  $\underline{\hspace{2cm}}$
- A. 1  
B. 0  
C. 1 and 0  
D. 4
32.  $0$  is a subspace of  $V$  which is called as  $\underline{\hspace{2cm}}$  subspace
- A. Trivial  
B. Zero  
C. Binary  
D. whole
33. Which of the following is a complex number in standard form?
- A.  $3 - 4i$   
B.  $4i$   
C. 12  
D.  $-8i$
34. Find the product and simplify your answer.  $(4 + 9i)(4 - 9i)$
- A. 97  
B. -65  
C.  $97 + 72i$   
D.  $-65 + 72i$

35. The angle between two vectors is given as \_\_\_\_\_
- $\|u\|\|v\| \cos\theta$
  - $Uv$
  - $u/v \cos\theta$
  - $u/v$
36.  $i^2 =$  \_\_\_\_\_
- 1
  - 1
  - 0
  - 2
37.  $r$  is called as \_\_\_\_\_
- amplitude
  - modulus
  - argument
  - angle
38. If  $z_1 = -2 - 3i$  and  $z_2 = 2 + 4i$ , what is  $z_1 + z_2$ ?
- $2+3i$
  - 1
  - $i$
  - 0
39. If  $u=(1,5)$  and  $v=(4,-2)$  then dot product is \_\_\_\_\_
- 5
  - 6
  - 4
  - 8
40. A non empty subset  $W$  of a \_\_\_\_\_  $V$  over field  $F$  is called a subspace of  $V$
- vector space
  - Linear combination
  - Basis
  - Span
41. If  $u=(2,9)$  and  $v=(7,11)$  then  $u+v$  is \_\_\_\_\_
- (11,20)
  - (9,20)
  - (2,20)
  - (5,20)
42. \_\_\_\_\_ field contains two elements
- Galois
  - Vector
  - Complex
  - Integer
43. The set of all linear combination of \_\_\_\_\_ elements of  $S$  is called as linear span of  $S$
- Infinite
  - Finite
  - Vector
  - Scalar
44.  $W$  is said to be \_\_\_\_\_ of  $v$  is  $ax+by \in W$
- Vector space
  - Subspace

- C. Linear combination
  - D. Linear span
45. Norm of (2,-1,3) is \_\_\_\_\_
- A. 14
  - B.  $\sqrt{14}$
  - C. 28
  - D. 15
46. In GF(2),  $1.1+1.1$  is equal to \_\_\_\_
- A. 1
  - B. 0
  - C. -1
  - D. 2
47. A vector in which most of the component are zero is called \_\_\_\_\_ vector
- A. Zero
  - B. Unit
  - C. Sparse
  - D. Trivial
48.  $\|u\|=1$  , it is called as \_\_\_\_\_ vector
- A. Zero
  - B. Unit
  - C. Sparse
  - D. Trivial
49.  $z=3+4i$  , 3 is called the \_\_\_\_ part
- A. real
  - B. imaginary
  - C. simple
  - D. complex
50.  $z=3+4i$  ,  $4i$  is called the \_\_\_\_ part
- A. real
  - B. imaginary
  - C. simple
  - D. complex

## UNIT 2

51. The determinant of identity matrix is?
- A. 1
  - B. 0
  - C. Depends on the matrix
  - D. I
52. If determinant of a matrix A is Zero than \_\_\_\_\_
- A. A is a Singular matrix
  - B. A is a non-Singular matrix
  - C. A is zero matrix
  - D. A is null matrix
53. The Inverse exist only for \_\_\_\_\_ matrices.
- A. Singular
  - B. Nonsingular

- C. Symmetric
  - D. Skew symmetric
54. A symmetric matrix is a one in which?
- A. All diagonal elements are zero
  - B. All diagonal elements are 1
  - C.  $A = A^T$
  - D.  $A = -A^T$
55. A matrix having one row and many columns is known as?
- A. Row matrix
  - B. Column matrix
  - C. Diagonal matrix
  - D. Scalar matrix
56. If A is a lower triangular matrix then  $A^T$  is a \_\_\_\_\_
- A. Upper triangular matrix
  - B. Lower triangular matrix
  - C. Diagonal matrix
  - D. Scalar matrix
57. There are \_\_\_\_\_ methods to find inverse of matrix
- A. 1
  - B. 2
  - C. 3
  - D. 4
58. For matrix A if  $A \cdot A^T = I$ , where I is identity matrix then A is?
- A. Orthogonal matrix
  - B. Nilpotent matrix
  - C. Idempotent matrix
  - D. Scalar matrix
59. A matrix having many rows and one column is known as?
- A. Row matrix
  - B. Column matrix
  - C. Diagonal matrix
  - D. Scalar matrix
60. A square matrix  $A = [a_{ij}]_{n \times n}$ , if  $a_{ij} = 0$  for  $i > j$  then that matrix is known as \_\_\_\_\_
- A. Upper triangular matrix
  - B. Lower triangular matrix
  - C. Unit matrix
  - D. Identity matrix
61. Any \_\_\_\_\_ equation in n variables can be written in matrix form as  $AX=B$
- A. Linear
  - B. Homogeneous
  - C. Nonhomogeneous
  - D. trivial
62. Linear function is also known as \_\_\_\_\_
- A. Linear map
  - B. Operator

- C. Transformation
  - D. Subspace
63.  $\text{Ker } f = 0$  iff  $f$  is \_\_\_\_\_
- A. Injective
  - B. Surjective
  - C. Bijective
  - D. Isomorphic
64. Kernel of a linear function is \_\_\_\_\_
- A. Vectorspace
  - B. Subspace
  - C. Linear span
  - D. Map
65. Image of a linear function is \_\_\_\_\_
- A. Vectorspace
  - B. Subspace
  - C. Linear span
  - D. Map
66. A set of vectors are said to be linearly independent if all the scalars are \_\_\_\_\_
- A. 1
  - B. 0
  - C. Same
  - D. Positive
67. A set of vectors are said to be \_\_\_\_\_ if there exist atleast one nonzero scalar
- A. linearly independent
  - B. linearly dependent
  - C. linear combination
  - D. linear span
68. A system of single nonzero vector is always \_\_\_\_\_
- A. linearly independent
  - B. linearly dependent
  - C. linear combination
  - D. linear span
69. Basis of  $V$  is always \_\_\_\_\_
- A. linearly independent
  - B. linearly dependent
  - C. linear combination
  - D. linear span
70. Linear combination of elements of  $B$  is equal to \_\_\_\_\_
- A. Vector space
  - B. Subspace
  - C. Linear span
  - D. Map
71. Basis of  $\mathbb{R}^2$  consist of \_\_\_\_\_ vectors
- A. 1
  - B. 2



- C. 3
  - D. 4
72. Basis of  $\mathbb{R}^3$  consist of \_\_\_\_\_ vectors
- A. 1
  - B. 2
  - C. 3
  - D. 4
73. \_\_\_\_\_ of vector space is defined as the number of vectors in the basis
- A. Basis
  - B. Dimension
  - C. Linear span
  - D. Map
74. Number of non zero rows in the matrix determine the \_\_\_\_\_
- A. eigen value
  - B. eigen vector
  - C. rank
  - D. basis
75. Rank is equal to the number of \_\_\_\_\_ rows in row echelon form
- A. linearly independent
  - B. linearly dependent
  - C. linear combination
  - D. linear span
76. The dimension of row space is called the \_\_\_\_\_ of matrix A
- A. Rank
  - B. Nullity
  - C. Kernel
  - D. Image
77. The dimension of null space is called the \_\_\_\_\_ of matrix A
- A. Rank
  - B. Nullity
  - C. Kernel
  - D. Image
78.  $\text{Rank}(T) + \text{Nullity}(T) =$  \_\_\_\_\_
- A. Basis of V
  - B. Dim of V
  - C.  $L(V)$
  - D. Subspace of V
79. \_\_\_\_\_ is denoted by  $S^0$
- A. Rank
  - B. Nullity
  - C. Annihilator
  - D. Image
80. A linear equation with right side equal to zero is called \_\_\_\_\_ equation
- A. Linear system
  - B. Saturated

- C. Homogeneous
  - D. Non homogeneous
81. A linear equation with right side not equal to zero is called \_\_\_\_\_
- A. Linear system
  - B. Saturated
  - C. Homogeneous
  - D. Non homogeneous
82. The number of elements in the basis set of a vector space  $V$  is called \_\_\_\_\_ of the vector space
- A. Basis
  - B. Dimension
  - C. Image
  - D. Kernel
83. Any set containing \_\_\_\_\_ vector is always linearly independent
- A. zero
  - B. Unit
  - C. 2
  - D. More than 2
84. Set of all \_\_\_\_\_ of vectors is called linear span
- A. Linear system
  - B. linear combination
  - C. linear operator
  - D. linear map
85. For matrix  $A$ ,  $(A^T)^T$  is equals to \_\_\_\_\_
- A.  $A$
  - B.  $A^T$
  - C. Zero
  - D. 1
86. If the number of rows is equal to the number of column then it is called as \_\_\_\_\_ matrix
- A. Scalar
  - B. Square
  - C. Diagonal
  - D. Identity
87. \_\_\_\_\_ conditions are important for basis
- A. 1
  - B. 2
  - C. 3
  - D. 4
88. A set of vectors are said to be linearly dependent if there exist \_\_\_\_\_ one nonzero scalar
- A. Atleast
  - B. Atmost
  - C. Maximum
  - D. Minimum
89. Rank of a identity matrix of order  $2 \times 2$  is \_\_\_\_\_
- A. 1
  - B. 2

- C. 3
  - D. 4
90. Rank of a identity matrix of order  $3 \times 3$  is \_\_\_\_\_
- A. 1
  - B. 2
  - C. 3
  - D. 4
91. A \_\_\_\_\_ is a sequence of vertices and edges
- A. Walk
  - B. Path
  - C. Trial
  - D. Cycle
92. A \_\_\_\_\_ is a walk in which no vertex is repeated
- A. Path
  - B. Cycle
  - C. Circuit
  - D. Trial
93. A walk is a \_\_\_\_\_ in which the starting and ending points are same
- A. Cycle
  - B. Path
  - C. Trial
  - D. Circuit
94. The solution set of the \_\_\_\_\_ linear system is called null space of A
- A. Homogeneous
  - B. Nonhomogeneous
  - C. Similar
  - D. Dissimilar
95. If A is a upper triangular matrix then  $A^T$  is a \_\_\_\_\_
- A. Upper triangular matrix
  - B. Lower triangular matrix
  - C. Diagonal matrix
  - D. Scalar matrix
96. A path is a walk in which no \_\_\_\_\_ is repeated
- A. Vertex
  - B. Edge
  - C. Points
  - D. lines
97. The solution set of the homogeneous linear system is called \_\_\_\_\_ space of A
- A. Null
  - B. Rank
  - C. echelon
  - D. kernel
98. \_\_\_\_\_ form of complex no is  $z = r.e^{i\theta}$
- A. cartesian
  - B. polar

- C. exponential
  - D. complex
99. The additive identity in vector space addition is \_\_\_\_\_
- A. 1
  - B. 0
  - C. -1
  - D. -v
100.  $\theta$  is called the \_\_\_\_\_ of z
- A. argument
  - B. modulus
  - C. rank
  - D. null space

### UNIT 3

101.  $|A - \lambda I| = 0$  is called \_\_\_\_\_ equation
- A. Quadratic
  - B. Linear
  - C. Characteristic
  - D. NULL
102. A vector space together with inner product is called \_\_\_\_\_ space
- A. Vector
  - B. Inner product
  - C. Null
  - D. Subspace
103. Two vectors are orthogonal to each other if their inner product space is \_\_\_\_\_
- A. 1
  - B. 0
  - C. -1
  - D. V
104.  $\eta$  is called \_\_\_\_\_
- A. eigen value
  - B. eigen vector
  - C. constant
  - D. variable
105. The product of all eigen values of the matrix is equal to the \_\_\_\_\_ of the matrix
- A. Determinant
  - B. Rank
  - C. Null space
  - D. image
106. A rectangular array of m rows & n columns is called \_\_\_\_\_
- A. Matrix
  - B. Rank
  - C. Image
  - D. Kernel

107. \_\_\_\_\_ is a method for solving a system of linear equations
- Row echelon
  - Gauss elimination
  - Adjoint method
  - Rank
108. The \_\_\_\_\_ of a vector  $v$  is denoted by  $\|v\|$
- Norm
  - Image
  - Rank
  - kernel
109. If  $u=(2,3,-1)$  and  $v=(6,-3,-2)$  then  $d(u,v)=$ \_\_\_\_\_
- $\sqrt{48}$
  - $\sqrt{53}$
  - 48
  - 53
110. If  $u=(1,0,2,-4)$  and  $v=(0,3,4,2)$  then  $\|u+v\|^2=$ \_\_\_\_\_
- 5
  - 10
  - 50
  - 40
111. If  $u$  and  $v$  are orthogonal to  $w$  then \_\_\_\_\_ is orthogonal to  $w$
- $U+v$
  - $U-v$
  - $Uv$
  - $u/v$
112. Two vectors are parallel to each other if  $\langle u, v \rangle =$ \_\_\_\_\_
- 1
  - 0
  - 1
  - $uv$
113. Two vectors are perpendicular to each other if  $\langle u, v \rangle =$ \_\_\_\_\_
- 1
  - 0
  - 1
  - $uv$
114. If a vector  $v$  is orthogonal to every vector  $w \in W$  then \_\_\_\_\_
- $V \cdot w = 0$
  - $V + w = 0$
  - $V - w = 0$
  - $v/w = 0$
115. An \_\_\_\_\_ of  $A$  is a vector which satisfies  $Av = \lambda v$
- Eigen value
  - Eigen vector
  - Rank
  - nullity
116. If  $A = \begin{bmatrix} 3 & -1 & 1 \\ -1 & 3 & -1 \\ 1 & -1 & 3 \end{bmatrix}$  then eigen values are \_\_\_\_\_

- A.  $\eta=1,1,5$   
 B.  $\eta=2,2,5$   
 C.  $\eta=1,2,5$   
 D.  $\eta=1,5,5$
117. If  $A = \begin{bmatrix} 1 & -3 \\ -4 & 5 \end{bmatrix}$  then eigen values are \_\_\_\_\_  
 A.  $\eta=1,7$   
 B.  $\eta=-1,7$   
 C.  $\eta=-1,-7$   
 D.  $\eta=1,-7$
118. If  $A = \begin{bmatrix} 1 & 2 \\ 4 & 3 \end{bmatrix}$  then eigen values are \_\_\_\_\_  
 A.  $\eta=-1,5$   
 B.  $\eta=2,5$   
 C.  $\eta=-1,2$   
 D.  $\eta=5,3$
119. If  $A = \begin{bmatrix} 1 & 1 & 3 \\ 1 & 5 & 1 \\ 3 & 1 & 1 \end{bmatrix}$  then eigen values are \_\_\_\_\_  
 A.  $\eta=-2,3,6$   
 B.  $\eta=1,2,3$   
 C.  $\eta=1,3,4$   
 D.  $\eta=-1,3,5$
120. If A is a \_\_\_\_\_, then its eigen values are the diagonal elements  
 A. Upper triangular matrix  
 B. Lower triangular matrix  
 C. Scalar matrix  
 D. Diagonal matrix
121. A matrix A of order n is diagonalizable, iff it has n \_\_\_\_\_ eigen vectors  
 A. linearly independent  
 B. linearly dependent  
 C. linear combination  
 D. linear span
122. A square matrix B of order n is said to be \_\_\_\_\_ to A if  $B = P^{-1}AP$   
 A. Similar  
 B. Dissimilar  
 C. Inverse  
 D. Rank
123. If B is similar to A then it has same \_\_\_\_\_  
 A. Eigen values  
 B. Rank  
 C. Nullity  
 D. Kernel
124. Solve the following equation by Gauss elimination method  
 $x + z = -1$  ;  $y + z = -4$  ;  $4x + y + z = 0$  then the values of x,y,z are \_\_\_\_\_  
 A. 1,2,3  
 B. 1,-2,-2

C. 1,-1,-1

D. 1,1,1

125. Solve the following equation by Gauss elimination method

$x+y+z=2$  ;  $2x-3y+2z=-1$  ;  $x+y-3z=6$  then the values of  $x,y,z$  are \_\_\_\_\_

A. 1,2,3

B. 1,2,-1

C. 1,1,1

D. 1,2,-4

126. The eigenvalues of a  $4 \times 4$  matrix  $[A]$  are given as 2,-3,13, and 7. The  $\det(A)$  is \_\_\_\_\_

A. 546

B. 19

C. 25

D. 50

127. What is Eigen value?

A. A vector obtained from the coordinates

B. A matrix determined from the algebraic equations

C. A scalar associated with a given linear transformation

D. It is the inverse of the transform

128. Two vectors are \_\_\_\_\_ to each other if  $\langle u, v \rangle = 1$

A. Parallel

B. Perpendicular

C. Similar

D. Dissimilar

129. Two vectors are \_\_\_\_\_ to each other if  $\langle u, v \rangle = 0$

A. Parallel

B. Perpendicular

C. Similar

D. Dissimilar

130. The goal of Gauss elimination method is to reduce the coefficient matrix to a \_\_\_\_\_ matrix

A. Diagonal

B. Identity

C. lower triangular

D. upper triangular

131. In Gaussian elimination method, original equations are transformed by using \_\_\_\_\_

A. Column operations

B. Row Operations

C. Mathematical Operations

D. Subset Operation

132. The Elimination process in Gauss Elimination method is also known as \_\_\_\_\_

A. Forward Elimination

B. Backward Elimination

C. Sideways Elimination

D. Crossways Elimination

133. How the transformation of coefficient matrix A in Gauss Elimination method to upper triangular matrix is done?
- Elementary row transformations
  - Elementary column transformations
  - Successive multiplication
  - Successive division
134. Find the values of x, y, z in the following system of equations by gauss Elimination Method.
- 2, 4, 6
  - 2, 7, 6
  - 3, 4, 6
  - 2, 4, 5

135. The \_\_\_\_\_ of all eigen values of the matrix is equal to the determinant of the matrix
- Sum
  - Product
  - Difference
  - division
136. The angle between vector  $u=(1,2,1)$  and  $v=(3,1,2)$  is \_\_\_\_\_
- $\cos^{-1}(7/184)$
  - $\cos^{-1}(1/184)$
  - $\cos^{-1}(5/184)$
  - $\cos^{-1}(3/184)$
137. The angle between vector  $u=(1,1,0)$  and  $v=(0,0,1)$  is \_\_\_\_\_
- $\frac{\pi}{2}$
  - $\frac{\pi}{6}$
  - $\frac{\pi}{3}$
  - $\frac{\pi}{4}$
138.  $|A - \lambda I|X = 0$  will give \_\_\_\_\_

Eigen value

Characteristic equation

Eigen vector

Rank

139. If  $u=(1,2,3,4)$  and  $v=(2,3,4,5)$  and  $w=(4,5,6,7)$  then  $\langle u,v \rangle$  is \_\_\_\_\_
- 28
  - 38
  - 58
  - 48
140. If  $u=(1,2,3,4)$  and  $v=(2,3,4,5)$  and  $w=(4,5,6,7)$  then  $\langle v,w \rangle$  is \_\_\_\_\_
- 25



- B. 55  
C. 68  
D. 37
141. If a matrix is in echelon form, the non zero rows form the \_\_\_\_\_ of row space  
A. Basis  
B. Rank  
C. Image  
D. Nullity
142.  $\|x\|$  \_\_\_\_\_ 0  
A.  $\geq$   
B.  $\leq$   
C.  $\neq$   
D.  $=$
143. The projection vector of  $u=(1,-1,1)$  along  $v=(1,2,0)$  is \_\_\_\_\_  
A.  $(\frac{-1}{2}, \frac{2}{5}, 0)$   
B.  $(1,0,1)$   
C.  $(1,1,0)$   
D.  $(0,1,1)$
144. The projection vector of  $u=(2,-1,1)$  along  $v= (1,2,0)$  is \_\_\_\_\_  
A. 1  
B. 2  
C. 3  
D. 0
145. If  $A=\begin{bmatrix} 1 & 2 \\ 3 & 4 \end{bmatrix}$  then  $|A|$ =\_\_\_\_\_  
A. 2  
B. -2  
C. 4  
D. 6
146. The equation for \_\_\_\_\_ is  $\|u+v\|^2=\|u\|^2+\|v\|^2$   
A. Inner product space  
B. Basis  
C. Pythagoras theorem  
D. Gauss elimination
147. The angles between the vectors is given by \_\_\_\_\_  
A.  $\cos \theta$   
B.  $\sin \theta$   
C.  $\tan \theta$   
D.  $\cot \theta$
148.  $\|x\|=0$  if  $x$  \_\_\_\_\_ 0  
A.  $>$   
B.  $<$   
C.  $=$   
D.  $\neq$
149. A \_\_\_\_\_ matrix B of order n is said to be similar to A if  $B=P^{-1}AP$   
A. Square  
B. Scalar

C. Diagonal

D. Unit

150. If  $u=(1,2,3)$  then unit vector is\_\_\_\_\_

A.  $(\frac{1}{\sqrt{14}}, \frac{2}{\sqrt{14}}, \frac{3}{\sqrt{14}})$

B.  $(1,2,3)$

C.  $(\frac{1}{14}, \frac{2}{14}, \frac{3}{14})$

D.  $(1,4,9)$